## DATA AND COMPUTER COMMUNICATIONS <br> Lecture 4 Wide Area Networks Routing

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## Routing in Packet Switched Network

- key design issue for (packet) switched networks
o select route across network between end nodes
o characteristics required:
- correctness
- simplicity
- robustness
- stability
- fairness
- optimality
- efficiency


## Performance Criteria

- used for selection of route
- simplest is "minimum hop"
o can be generalized as "least cost"
- because "least cost" is more flexible it is more common than "minimum hop"


## Example of Packet Switched Network



## Decision Time and Place

## decision time

- packet or virtual circuit basis
- fixed or dynamically changing


## decision place

- distributed - made by each node
- more complex, but more robust
- centralized - made by a designated node
- source - made by source station


## Network Information Source and

## Update Timing

- routing decisions usually based on knowledge of network, traffic load, and link cost
- distributed routing
- using local knowledge, information from adjacent nodes, information from all nodes on a potential route
- central routing
issue of update timing
- depends on routing strategy
- fixed - never updated
- adaptive - regular updates


## Routing Strategies - Fixed Routing

o use a single permanent route for each source to destination pair

- determined using a least cost algorithm o route is fixed
- at least until a change in network topology
- hence cannot respond to traffic changes
- advantage is simplicity
- disadvantage is lack of flexibility



## Routing Strategies - Flooding

- packet sent by node to every neighbor - eventually multiple copies arrive at destination
- no network info required
- each packet is uniquely numbered so duplicates can be discarded
- need some way to limit incessant retransmission
- nodes can remember packets already forwarded to keep network load in bounds
- or include a hop count in packets

(c) Third hop



## Routing Strategies - Random Routing

o simplicity of flooding with much less load

- node selects one outgoing path for retransmission of incoming packet
o selection can be random or round robin
- a refinement is to select outgoing path based on probability calculation
- no network info needed
- but a random route is typically neither least cost nor minimum hop


## Routing Strategies - Adaptive Routing

- used by almost all packet switching networks
- routing decisions change as conditions on the network change due to failure or congestion
- requires info about network
- disadvantages:
- decisions more complex
- tradeoff between quality of network info and overhead
- reacting too quickly can cause oscillation
- reacting too slowly means info may be irrelevant


## Adaptive Routing - Advantages

- improved performance
- aid congestion control
- but since is a complex system, may not realize theoretical benefits
- cf. outages on many packet-switched nets


## Classification of Adaptive Routing Strategies

o on the basis of information source

```
local (isolated)
- route to
outgoing link
with shortest
queue
- can include
bias for each
destination
- rarely used does not make use of available information
```

```
adjacent nodes
- takes advantage of delay and outage information
- distributed or centralized
```



Isolated Adaptive Routing

Node 4's Bias
Table for
Destination 6
Next Node Bias

| 1 | 9 |
| :---: | :---: |
| 2 | 6 |
| 3 | 3 |
| 5 | 0 |



## ARPANET Routing Strategies <br> 1st Generation

- designed in 1969
- distributed adaptive using estimated delay
- queue length used as estimate of delay
o using Bellman-Ford algorithm
- node exchanges delay vector with neighbors
o update routing table based on incoming info
- problems:
- doesn't consider line speed, just queue length
- queue length not a good measurement of delay
- responds slowly to congestion


## ARPANET Routing Strategies <br> 2ND GENERATION

- designed in 1979
- distributed adaptive using measured delay
- using timestamps of arrival, departure \& ACK times
o recomputes average delays every 10secs
- any changes are flooded to all other nodes
o recompute routing using Dijkstra's algorithm
- good under light and medium loads
o under heavy loads, little correlation between reported delays and those experienced


## Oscillation



Figure 12.7 Packet-Switching Network Subject to Oscillations

## ARPANET Routing Strategies <br> 3RD Generation

- designed in 1987
- link cost calculations changed
- to damp routing oscillations
- and reduce routing overhead
- measure average delay over last 10 secs and transform into link utilization estimate
- normalize this based on current value and previous results
- set link cost as function of average utilization

ARPANET Delay Metrics



## Least Cost Algorithms


alternatives: Dijkstra or Bellman-Ford algorithms

## Least Cost Algorithms

- basis for routing decisions
- can minimize hop with each link cost 1
- or have link value inversely proportional to capacity
- defines cost of path between two nodes as sum of costs of links traversed
- in network of nodes connected by bi-directional links
- where each link has a cost in each direction
- for each pair of nodes, find path with least cost
- nb. link costs in different directions may be different
- alternatives: Dijkstra or Bellman-Ford algorithms


## DiJkstra's Algorithm

- finds shortest paths from given source node s to all other nodes
- by developing paths in order of increasing path length
- algorithm runs in stages (next slide)
- each time adding node with next shortest path
- algorithm terminates when all nodes processed by algorithm (in set T)


## Diskstra's Algorithm Method

## - Step 1 [Initialization]

- $T=\{s\}$ Set of nodes so far incorporated
- $\mathrm{L}(\mathrm{n})=\mathrm{w}(\mathrm{s}, \mathrm{n})$ for $\mathrm{n} \neq \mathrm{s}$
- initial path costs to neighboring nodes are simply link costs
- Step 2 [Get Next Node]
- find neighboring node not in $T$ with least-cost path from $s$
- incorporate node into T
- also incorporate the edge that is incident on that node and a node in T that contributes to the path
- Step 3 [Update Least-Cost Paths]
- $L(n)=\min [L(n), L(x)+w(x, n)]$ for all $n \notin T$
- flatter term is minimum, path from $s$ to $n$ is path from $s$ to $x$ concatenated with edge from x to n


## Dijkstra's Algorithm Example



## DiJKstra's Algorithm Example

| Iter | $\mathbf{T}$ | $\mathbf{L}(\mathbf{2 )}$ | Path | $\mathbf{L}(3)$ | Path | $\mathbf{L}(4)$ | Path | $\mathbf{L}(5)$ | Path | $\mathbf{L}(6)$ | Path |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | $\{1\}$ | 2 | $1-2$ | 5 | $1-3$ | 1 | $1-4$ | $\infty$ | - | $\infty$ | - |
| 2 | $\{1,4\}$ | 2 | $1-2$ | 4 | $1-4-3$ | 1 | $1-4$ | 2 | $1-4-5$ | $\infty$ | - |
| 3 | $\{1,2,4\}$ | 2 | $1-2$ | 4 | $1-4-3$ | 1 | $1-4$ | 2 | $1-4-5$ | $\infty$ | - |
| 4 | $\{1,2,4$, <br> $5\}$ | 2 | $1-2$ | 3 | $1-4-5-3$ | 1 | $1-4$ | 2 | $1-4-5$ | 4 | $1-4-5-6$ |
| 5 | $\{1,2,3$, <br> $4,5\}$ | 2 | $1-2$ | 3 | $1-4-5-3$ | 1 | $1-4$ | 2 | $1-4-5$ | 4 | $1-4-5-6$ |
| 6 | $\{1,2,3$, <br> $4,5,6\}$ | 2 | $1-2$ | 3 | $1-4-5-3$ | 1 | $1-4$ | 2 | $1-4-5$ | 4 | $1-4-5-6$ |

## Bellman-Ford Algorithm

- find shortest paths from given node subject to constraint that paths contain at most one link
- find the shortest paths with a constraint of paths of at most two links
- and so on


## Bellman-Ford Algorithm

o step 1 [Initialization]

- $L_{0}(n)=\infty$, for all $n \neq s$
- $L_{h}(s)=0$, for all $h$
- step 2 [Update]
- for each successive $\mathrm{h} \geq 0$
- for each $\mathrm{n} \neq \mathrm{s}$, compute: $L_{h+1}(n)=\min _{j}\left[L_{h}(j)+w(j, n)\right]$
- connect n with predecessor node j that gives min
- eliminate any connection of $n$ with different predecessor node formed during an earlier iteration
- path from $s$ to $n$ terminates with link from $j$ to $n$



## Results of Bellman-Ford Example

| $\mathbf{h}$ | $\mathbf{L}_{\mathbf{h}} \mathbf{( 2 )}$ | Path | $\mathbf{L}_{\mathbf{h}} \mathbf{( 3 )}$ | Path | $\mathbf{L}_{\mathbf{h}} \mathbf{( 4 )}$ | Path | $\left.\mathbf{L}_{\mathbf{h}} \mathbf{5}\right)$ | Path | $\mathbf{L}_{\mathbf{h}} \mathbf{( 6 )}$ | Path |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | $\infty$ | - | $\infty$ | - | $\infty$ | - | $\infty$ | - | $\infty$ | - |
| 1 | 2 | $1-2$ | 5 | $1-3$ | 1 | $1-4$ | $\infty$ | - | $\infty$ | - |
| 2 | 2 | $1-2$ | 4 | $1-4-3$ | 1 | $1-4$ | 2 | $1-4-5$ | 10 | $1-3-6$ |
| 3 | 2 | $1-2$ | 3 | $1-4-5-3$ | 1 | $1-4$ | 2 | $1-4-5$ | 4 | $1-4-5-6$ |
| 4 | 2 | $1-2$ | 3 | $1-4-5-3$ | 1 | $1-4$ | 2 | $1-4-5$ | 4 | $1-4-5-6$ |

## Comparison

- results from two algorithms agree - Bellman-Ford
- calculation for node n needs link cost to neighbouring nodes plus total cost to each neighbour from s
- each node can maintain set of costs and paths for every other node
- can exchange information with direct neighbors
- can update costs and paths based on information from neighbors and knowledge of link costs
- Dijkstra
- each node needs complete topology
- must know link costs of all links in network
- must exchange information with all other nodes


## Evaluation



## SUMMARY

o routing in packet-switched networks

- routing strategies
- fixed, flooding, random,adaptive
- ARPAnet examples
- least-cost algorithms
- Dijkstra, Bellman-Ford

