







ASYNCHRONOUS - BEHAVIOR

- o simple
- o cheap
- \circ overhead of 2 or 3 bits per char (~20%)
- good for data with large gaps (keyboard)



Types of Error

- an error occurs when a bit is altered between transmission and reception
- single bit errors
 - only one bit altered
 - caused by white noise
- burst errors
 - contiguous sequence of *B* bits in which the first and last bits and any number of intermediate bits in error
 - caused by impulse noise or by fading in wireless
 - effect greater at higher data rates

ERROR DETECTION regardless of design you will have errors can detect errors by using an error-detecting code added by the transmitter code is also referred to as *check bits*recalculated and checked by receiver still chance of undetected error parity bit set so character has even (even parity) or odd (odd parity) number of ones even number of bit errors goes undetected





PARITY CHECK

• the simplest error detecting scheme is to append a parity bit to the end of a block of data

- Even parity even number of 1s • Used for synchronous transmission
- Odd parity odd number of 1s

 Used for asynchronous transmission

• if any even number of bits are inverted due to error, an undetected error occurs





POLYNOMIALS • Express all values as polynomials in a dummy variable *X* with binary coefficients corresponding to the bits in the binary number $\frac{X^{n-k}D(X)}{P(X)} = Q(X) + \frac{R(X)}{P(X)}$ $T(X) = X^{n-k}D(X) + R(X)$



















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• For a code consisting of the codewords $w_1, w_2, ..., w_s$, where s=2ⁿ,

$$d_{\min} = \frac{\min_{i \neq j} \left[d\left(w_{i}, w_{j} \right) \right]$$

• The maximum number of guaranteed correctable errors per codeword

$$t = \left\lfloor \frac{d_{\min} - 1}{2} \right\rfloor$$

• The maximum number of guaranteed detectable errors per codeword

 $t=d_{min}-1$









